

Philosophy of QM 24.111

Fifth lecture,
14 Feb. 2005

A PUZZLE ABOUT LOCALITY

How does the Bell's Theorem definition of locality

outcome on left outcome on right setting on left setting on right

$$\text{Prob}(x, y \mid \theta_L, \theta_R, \lambda)$$

state of particle pair

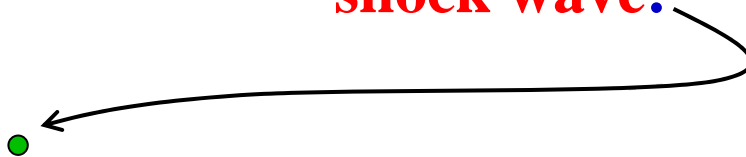
$$= \text{Prob}(x \mid \theta_L, \lambda) \text{Prob}(y \mid \theta_R, \lambda)$$

match up to

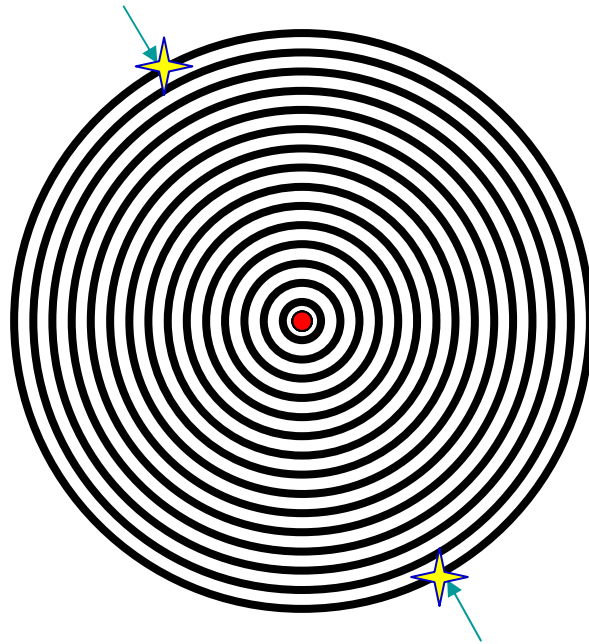
- our intuitive understanding of this notion;
- the kind of “locality” that features in special relativity?

SOME HYPOTHETICAL PHYSICS

Unstable particle;
when it “explodes”, it
sends out a **spherical**
shock wave:

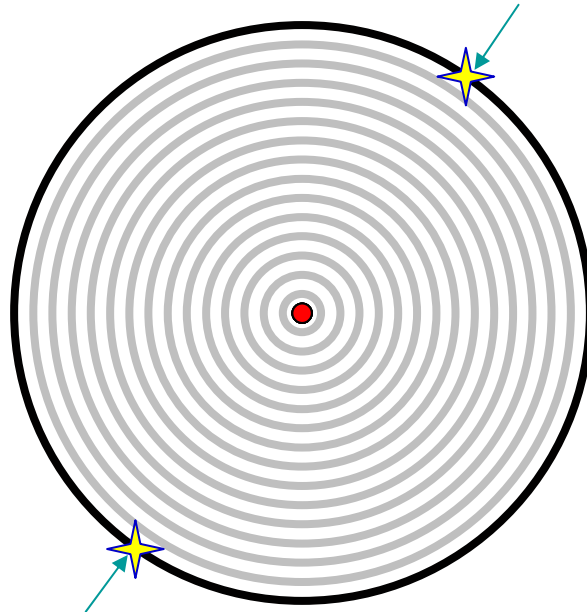


SOME HYPOTHETICAL PHYSICS



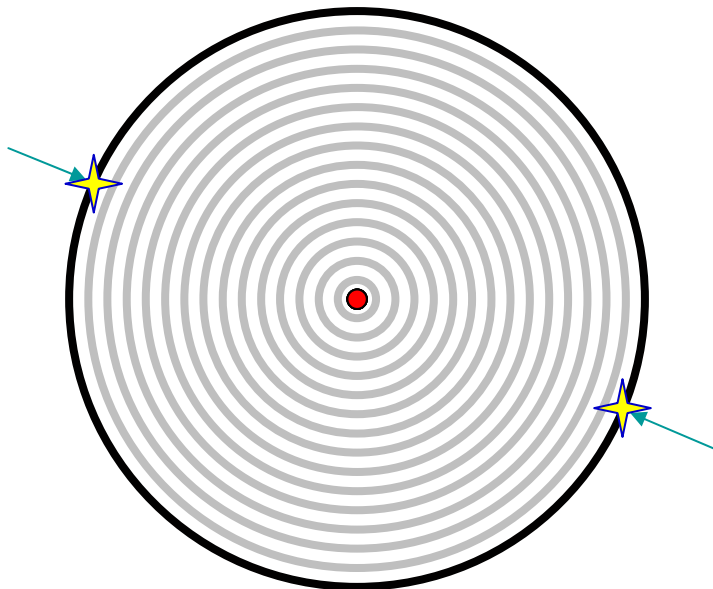
When the shock wave reaches a certain critical distance, two localized “flashes” appear on its surface, at **opposite positions**, with their axis **randomly determined**:

SOME HYPOTHETICAL PHYSICS



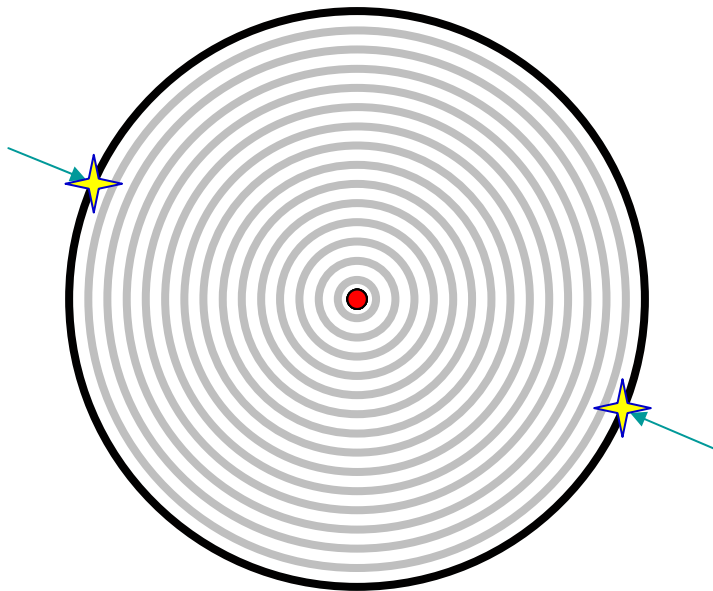
When the shock wave reaches a certain critical distance, two localized “flashes” appear on its surface, at **opposite positions**, with their axis **randomly determined**:

SOME HYPOTHETICAL PHYSICS



When the shock wave reaches a certain critical distance, two localized “flashes” appear on its surface, at **opposite positions**, with their axis **randomly determined**:

SOME HYPOTHETICAL PHYSICS



Bell-locality is violated in this example. Why?

Is our intuitive notion of locality (no “action at a distance”) violated?

Is special relativity violated?



WHAT SPECIAL RELATIVITY FORBIDS:

Five options:

Faster-than-light mass/energy transport

Faster-than-light information transfer

Faster-than-light signalling

Faster-than-light causation

Dynamical laws that are not Lorentz-invariant

