5.111 Lecture Summary #2

Friday, September 5, 2014

Readings for today: Sections A.2-A.3 (5^{th} ed pgs F9-13, 4^{th} ed pgs F10-13) – Force and Energy, Sections B.1-B.2 (5^{th} ed pgs F15-17, 4^{th} ed pgs F15-18) – Elements and Atoms , Section 1.1 (5^{th} ed and 4^{th} ed pgs 1-3) – The Nuclear Atom. **Read for Lecture #3:** Section 1.2 – The Characteristics of Electromagnetic Radiation,

Section 1.4 – Radiation, Quanta, and Photons (focus on pgs 10-12 in the 5th or 4th ed).

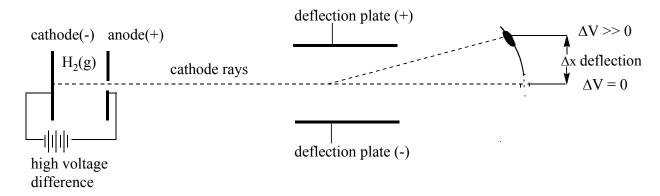
Topics:

- I. Discovery of the electron and the nucleus
- II. (Failure of) the classical description atoms/intro to quantum mechanics

I. A) DISCOVERY OF THE ELECTRON

J.J. Thomson (English physicist, 1856-1940) in 1897 discovers the electron and determines the charge to mass ratio. In 1906, he wins the Nobel Prize.

The Experiment:



If ΔV (the voltage difference between the two deflection plates) = 0 there is no deflection, but when ΔV is >> 0, there is Δx deflection towards the positive plate.

cathode rays = _____ charged particles = electrons

From classical electromagnetism, Thompson knew that

 $e_{\text{(-)}}$ = ______ of the negative particle $\Delta X_{(-)} \propto$ _____ $m_{(-)} = \underline{\hspace{1cm}}$ of the negative particle Then Thomson applied a very large ΔV and a *slight* deflection towards the negative plate was observed. Therefore there is also a positively charged particle!

$$\Delta x_{(+)} \propto$$
 _____ e_{(+)}= charge of the positive particle
$$m_{(+)} = mass \ of \ the \ positive \ particle$$
 BUT $\left|\left.\Delta x_{(-)}\right|\right.>>> \left|\left.\Delta x_{(+)}\right|\right.$

Since H is electronically neutral,

$$|e_{(-)}| = |e_{(+)}|$$
So: $|\Delta x_{(-)}|$

Since the ratio of Δx is large, the ratio of masses will be large: $m_{(-)}$ ______ $m_{(+)}$

This negative particle from the cathode ray tubes was later named the **electron** and its mass was later determined to be very small ($m = 9.11 \times 10^{-31} \text{ kg}$).

Atoms are NOT indivisible!

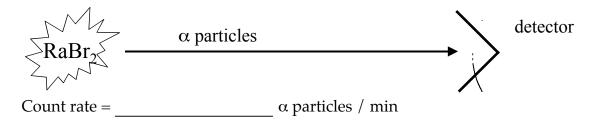
I. B) DISCOVERY OF THE NUCLEUS

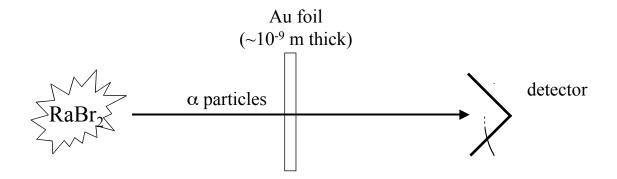
Ernest Rutherford (Cambridge University, England, 1871-1937) studied α emission from newly-discovered radioactive elements that he got from his friend Marie Curie.

- RaBr₂ gave off α particles
- α particles are _____ ions. This information was unknown in 1911.

In 1911, Rutherford experimented with this new radioactive material and discovered the nucleus. (Experiments were done with a postdoc, Hans Geiger, and an undergraduate, E. Marsden.)

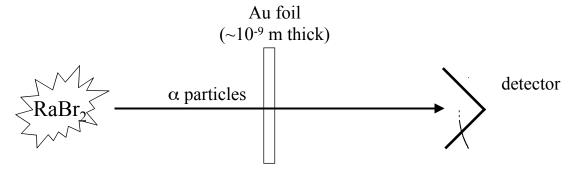
The Experiment:





Count rate = $\underline{}$ α particles / min It appeared that all of the α particles passed through the Au foil.

A detector was built that could swing around to the front side and measure any potential back scattered particles.





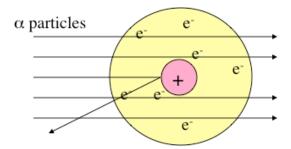
Count rate = α particles / min

Backscattering was detected!!

Probability (P) of backscattering:

Interpretation:

- Since the vast majority of α particles pass through the Au foil undeflected, the Au atoms are mostly ______ .
- A very tiny percentage of α particles hit something massive in the atom and backscatter (bounce back). This observation indicates that **most of the mass of the atom is concentrated in a very small volume relative to the volume of the entire atom**. We now call this the NUCLEUS.
- New model for α particles



 Rutherford proposed the charge on the nucleus to be positive, since electrons are negatively charged and atoms are neutral.

Charge of the electrons in an atom = -Ze

Z = atomic number

e = absolute value of electron's charge

Charge of the nucleus of an atom =

• Rutherford calculated the diameter of the nucleus to be 10⁻¹⁴ m. His calculation (see below) related the probability of backscattering to the diameter of the nucleus based on the size of the atom and the thickness of the foil.

NOW FOR AN IN-CLASS RUTHERFORD BACKSCATTERING EXPERIMENT THAT WAS DESIGNED BY PROFESSOR SYLVIA CEYER.

Please imagine:

white Styrofoam balls = 1 monolayer of Au nuclei

ping pong balls = α particles

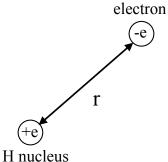
you = radioactive material emitting α particles

Probability of backscattering (P) =	
(We v	vill experimentally determine this value.)
P is related to r, the radius of an Au nuc	cleus (Styrofoam ball) in the following way:
P = =	
P =	
We can solve for r (radius) and d (diam	eter) of the "Au nucleus" / Styrofoam ball:
r =	d = 2r =
Now we can experimentally find P to d	etermine d, the diameter of the nucleus:
P = =	d =
	(Actual diameter of Styrofoam ball is 2.5 cm
II. (FAILURE OF) THE CLASSICAL I	DESCRIPTION OF AN ATOM
	ucleus? What is the force between them force of attraction and repulsion between
Coulomb Force $(F_r) = \underline{Q_1}\underline{Q_2}$	Q_x = charge on particle x
$4\pi arepsilon_0 \mathrm{r}^2$	r = distance between two charges
	ε_0 = permittivity constant of a vacuum (8.854 x 10 ⁻¹² C ² J ⁻¹ m ⁻¹)
When charges are the same sign, accel	eration of the particles will push them apart
The force is positive and repulsive.	
When charges are the opposite sign, acc	celeration will pull them together.
The force isand attract	ive.

Consider an H atom (Z=1) with 1 electron and 1 proton.

When $r \rightarrow \infty$ $F(r) = \underline{\hspace{1cm}}$

As
$$r \rightarrow 0$$
 $F(r) =$



The closer the electron is to the nucleus, the larger the attractive force between the two charges.

- The Coulomb force law tells us the force (F) as a function of r.
- The Coulomb force law does not tell us how r changes with .

There is a CLASSICAL EQUATION OF MOTION that tells us how the electron and nucleus move under influence of this Coulomb force: Newton's 2nd Law

$$F = ma$$
 Force = mass times acceleration

We can rewrite F as a function of velocity, F = m(dv/dt) or distance, $F = m(d^2r/dt^2)$

We can plug in the Coulomb force law for F, and solve the equation for a given initial value of r.

If $r_{initial}$ is 0.5 Å (0.5 x 10⁻¹⁰ m), a typical distance for an H atom, the calculation indicates that

$$r = 0$$
 at $t =$ ____sec!

This predicts that the electron should plummet into the nucleus in _____!

What is wrong here?

It turns out that the **laws of classical mechanics** no longer work at this size scale. A new kind of mechanics was needed to describe this and other "unsettling" observations.

QUANTUM MECHANICS provides a single and comprehensive theory that explains the behavior of matter on an atomic (nanometer or smaller) scale.

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