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5.04 Principles of Inorganic Chemistry II  
Fall 2008

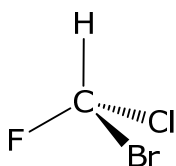
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5.04, Principles of Inorganic Chemistry II  
 Prof. Daniel G. Nocera  
**Lecture 4: Molecular Point Groups 1**

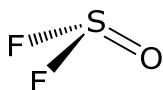
The symmetry properties of molecules (i.e. the atoms of a molecule form a basis set) are described by **point groups**, since all the symmetry elements in a molecule will intersect at a common point, which is not shifted by any of the symmetry operations. There are also symmetry groups, called **space groups**, which contain operators involving translational motion.

The point groups are listed below along with their distinguishing symmetry elements

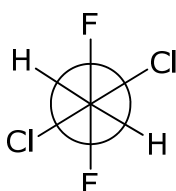
$C_1$  :  $E$  ( $h = 1$ )  $\Rightarrow$  no symmetry



$C_s$  :  $\sigma$  ( $h = 2$ )  $\Rightarrow$  only a mirror plane

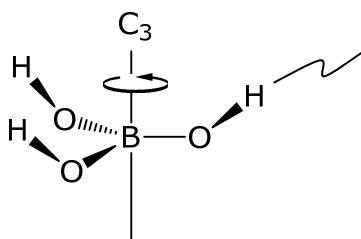


$C_i$  :  $i$  ( $h = 2$ )  $\Rightarrow$  only an inversion center (rare point group)

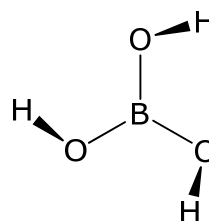


isomer of dichloro(difluoro)ethane

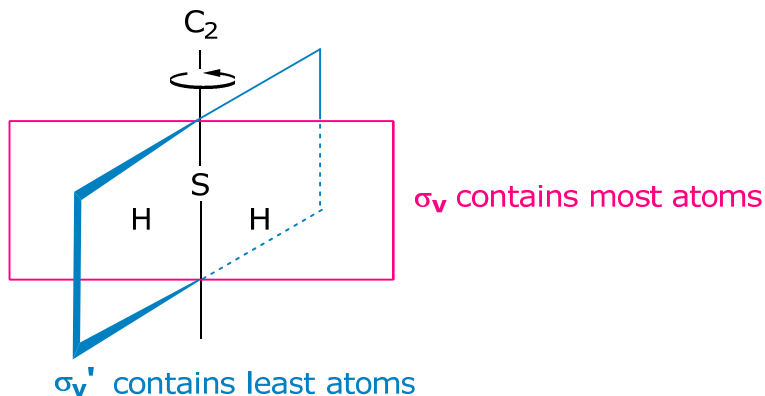
$C_n$  :  $C_n$  and all powers up to  $C_n^n = E$  ( $h = 2$ )  $\Rightarrow$  a cyclic point group



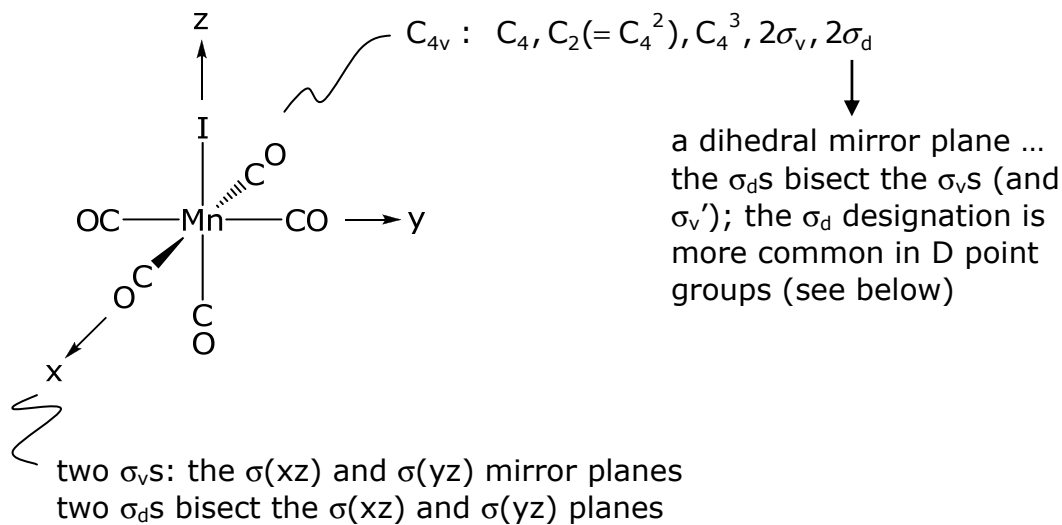
the H's canted out of the  $BO_3$  plane lead to a  $C_3$  point group



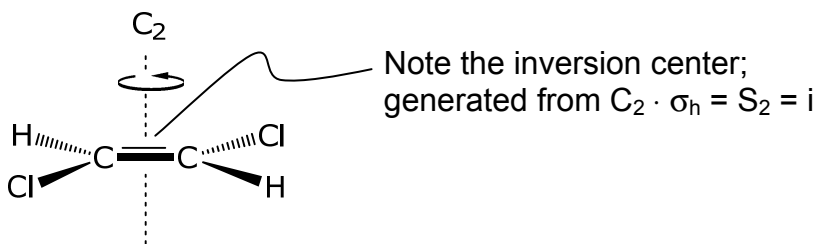
**C<sub>nv</sub>** : C<sub>n</sub> and nσ<sub>v</sub> (h = 2n) ... by convention a σ<sub>v</sub> contains C<sub>n</sub> (as opposed to σ<sub>h</sub> which is normal to C<sub>n</sub>). For n even, there are  $\frac{n}{2}\sigma_v$  and  $\frac{n}{2}\sigma'_v$  with the σ<sub>v</sub> containing the most atoms and the σ<sub>v</sub>' containing the least atoms



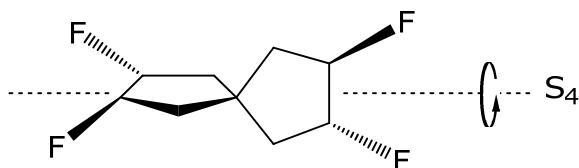
Consider a second example:



**C<sub>nh</sub>** : C<sub>n</sub> and σ<sub>h</sub> (normal to C<sub>n</sub>) are generators of S<sub>n</sub> operations as well (h = 2n)

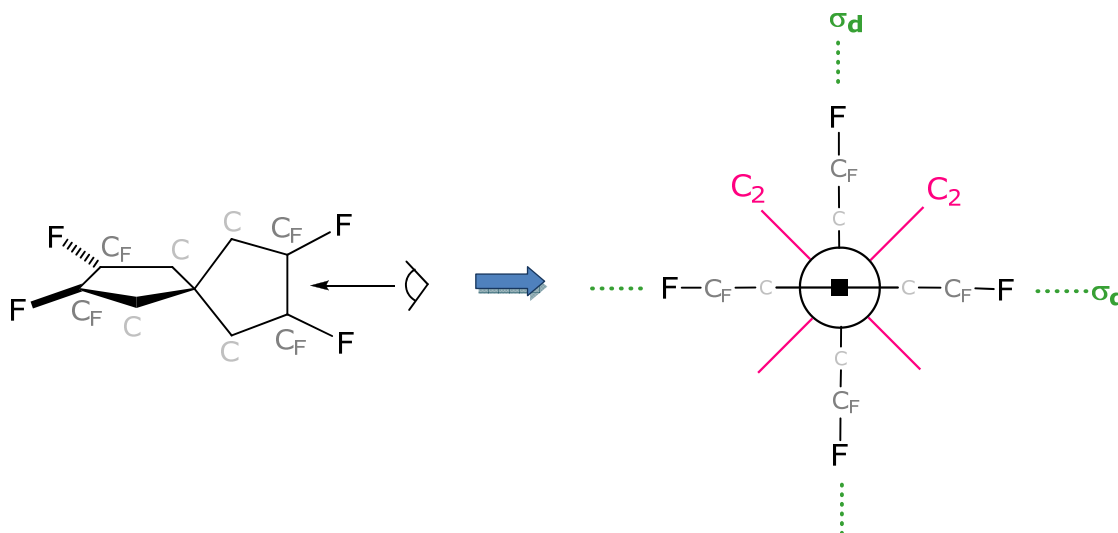


$S_{2n}$  :  $S_{2n}$  and all powers up to  $S_{2n}^{2n} = E$  ( $h = 2n$ ).



$S_{2n}$  is a generator; for this example, the generator  $S_4$  gives rise to  $C_2$  ( $= S_4^2$ ),  $S_4^3$ ,  $E$  ( $= S_4^4$ )

The F's do not lie in the plane of the cyclopentane rings. If they did, then other symmetry operations arise; these are easiest to see by looking down the line indicated below:



Note  $S_n$ , where  $n$  is odd, is redundant with  $C_{nh}$  because  $S_n^n = \sigma_h$  for  $n$  odd. As an example consider a  $S_3$  point group.  $S_3$  is the generator for  $S_3$ ,  $S_3^2 (= C_3^2)$ ,  $S_3^3 (= \sigma_h)$ ,  $S_3^4 (= C_3)$ ,  $S_3^5$ ,  $S_3^6 (= E)$ . The  $C_3$ 's and  $\sigma_h$  are the distinguishing elements of the  $C_{3h}$  point group.